

BCM SCHOOL, BASANT AVENUE, DUGRI, LUDHIANA
CLASS IX – MATHEMATICS
ANSWER KEY: OCTOBER ASSIGNMENT (2025–26)
TOPIC: SURFACE AREA AND VOLUMES AND QUADRILATERALS

QUE S.	SOLUTION/ HINT
1.	(b) 1:4
2.	(a) $\angle BDC = 45^\circ$
3.	(b) Both the assertion (A) and reason (R) are true and Reason is the correct explanation of Assertion.
4.	<p>Bisectors of $\angle A$ and $\angle B$ intersect at point O.</p> <p>$\angle A = 2 \angle OAB$, $\angle B = 2 \angle OBA$</p> <p>$\angle OAB + \angle OBA + \angle AOB = 180^\circ$ (ASP of Δ)</p> <p>$2\angle OAB + 2\angle OBA + 2\angle AOB = 360^\circ$</p> <p>$\angle A + \angle B + 2\angle AOB = 360^\circ$.....(1)</p> <p>Also, $\angle A + \angle B + \angle C + \angle D = 360^\circ$.....(2)</p> <p>From (1) and (2)</p> <p>$2\angle AOB = \angle C + \angle D$</p>
5.	<p>Curved surface area (CSA) = $10 \times$ slant height</p> <p>$\pi r l = 10l$</p> <p>$\Rightarrow r = 10/\pi \approx 3.18$ m</p> <p>\Rightarrow Diameter = 6.36 m</p>
6.	<p>Volume = $(1/3)\pi r^2 h = 301.44$</p> <p>$r:h = 3:4$</p> <p>$h = 4x$, $r = 3x$</p> <p>so, $(1/3)\pi(9x^2)(4x) = 301.44$</p> <p>$x = 2$</p> <p>$r = 6$ cm, $h = 8$ cm</p> <p>slant height = $\sqrt{r^2 + h^2} = 10$ cm</p>
7.	<p>Since D, E, F are midpoints of ΔABC,</p> <p>By Midpoint theorem, $DE \parallel AB$ and $DE = \frac{1}{2} AB$.....(1)</p> <p>$EF \parallel BC$ and $EF = \frac{1}{2} BC$.....(2)</p> <p>$FD \parallel AC$ and $FD = \frac{1}{2} AC$.....(3)</p> <p>$AB = BC = AC$</p> <p>$\frac{1}{2} AB = \frac{1}{2} BC = \frac{1}{2} AC$</p> <p>$DE = EF = FD$ (By 1, 2,3)</p> <p>Therefore, ΔDEF is an equilateral triangle.</p>

8.	<div data-bbox="755 220 1128 441" data-label="Image"> </div> <p>Sol. (i) As $EB \parallel DL$ and $ED \parallel BL$. Therefore, $EBLD$ is a parallelogram.</p> $\therefore BL = ED = \frac{1}{2}AD = \frac{1}{2}BC = CL$ <p>Now in triangles DCL and FBL, we have</p> <table border="0" style="width: 100%;"> <tr> <td style="text-align: center;">$CL = BL$</td> <td style="text-align: right;">(Proved above)</td> </tr> <tr> <td style="text-align: center;">$\angle DLC = \angle FLB$</td> <td style="text-align: right;">(Vertically opposite angles)</td> </tr> <tr> <td style="text-align: center;">$\angle CDL = \angle BFL$</td> <td style="text-align: right;">(Alternate angles)</td> </tr> <tr> <td style="text-align: center;">$\therefore \Delta DCL \cong \Delta FBL$</td> <td style="text-align: right;">(By AAS congruence criterion)</td> </tr> <tr> <td style="text-align: center;">$\therefore DC = BF \text{ and } DL = FL$</td> <td></td> </tr> </table> <p>Now, $BF = DC = AB$</p> $\Rightarrow 2AB = 2DC \Rightarrow AF = 2DC$ <p>(ii) $\therefore DL = FL \Rightarrow DF = 2DL$</p>	$CL = BL$	(Proved above)	$\angle DLC = \angle FLB$	(Vertically opposite angles)	$\angle CDL = \angle BFL$	(Alternate angles)	$\therefore \Delta DCL \cong \Delta FBL$	(By AAS congruence criterion)	$\therefore DC = BF \text{ and } DL = FL$	
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9.	<p>Let r, R be radii of smaller and larger spheres respectively.</p> <p>Volume of smaller sphere = $\frac{4}{3} \pi r^3 = \frac{4}{3} \times \pi \times 125/8 \text{ cm}^3$</p> <p>Volume of larger sphere = $\frac{4}{3} \pi R^3$</p> <p>Density of metal = Mass / volume</p> <p>Since, Density of metal remains the same</p> <p>Therefore, $740 / (125/6) \pi = 5920 / (\frac{4}{3} \pi R^3)$</p> <p>Solving $R^3 = 125$</p> <p>$R = 5 \text{ cm}$</p>										
10.	<p>a) Cloth required = $2 \times 2\pi r^2 = 2 \times 2\pi(4.2)^2 = 2 \times 110.88 = 221.76 \text{ m}^2$</p> <p>b) Volume of one pillar = $\pi r^2 h + (2/3)\pi r^3 =$</p> <p>c) Volume of hemispherical dome ($r = 7 \text{ m}$) = $(2/3)\pi r^3 = (2/3) \times 22/7 \times 343 = 718.67 \text{ m}^3$</p> <p>d) LSA of 4 pillars = $4 \times 2\pi r h = 4 \times 2 \times 22/7 \times 1.4 \times 14 = 4 \times 123.2 = 492.8 \text{ m}^2$</p>										