

BCM SCHOOL, BASANT AVENUE, DUGRI, LUDHIANA.

SEPTEMBER ASSIGNMENT ANSWER KEY/HINTS (2025-26)

CLASS- IX (MATHEMATICS)

TOPIC: INTRODUCTION TO EUCLID'S GEOMETRY, LINEAR EQUATIONS IN TWO VARIABLES, CO-ORDINATE GEOMETRY, HERON'S FORMULA, STATISTICS

1. (c) $(-5, 3)$
 2. (d) $y = 3x$
 3. (a) Both A and R are true and Reason is correct explanation of Assertion.
 $PR = QS$
 4. $PQ + QR = QR + RS$
Subtract QR from both sides,
 $PQ + QR - QR = QR + RS - QR$
 $PQ = RS$
We have used Euclid's axiom which states If equals are subtracted from equals, the remainders are equal.
Let cost of ball be y and cost of toy horse be x.
 $x = 3y$
 5. Solutions are $(3, 1)$; $(6, 2)$
Area of rectangular field = 3000 m^2
Area of Triangle = $150 \sqrt{26} \text{ m}^2 = 764.85 \text{ m}^2$
 6. Remaining Area = $3000 - 764.85 = 2235.15 \text{ m}^2$
- The diagram shows a horizontal line segment with endpoints P and R. A point O is located on the segment between P and R. The segment is divided into two parts, PO and OR.
7. $PO + OR = PR$(1)
 $PO = OR$ (GIVEN).....(2)
 $PO + PO = PR$ [Using 1 and 2]
 $2 PO = PR$
 $PO = \frac{1}{2} PR$
 - 8.

Let the sides of the original triangle be a, b, c and its semi-perimeter be

$$s = \frac{a+b+c}{2}.$$

By Heron's formula, the area of the triangle is

$$\Delta = \sqrt{s(s-a)(s-b)(s-c)}.$$

If each side is doubled, the new sides become $2a, 2b, 2c$. The semi-perimeter of the new triangle is

$$s' = \frac{2a+2b+2c}{2} = a + b + c = 2s.$$

The area of the new triangle is

$$\sqrt{s'(s' - 2a)(s' - 2b)(s' - 2c)}.$$

Substituting $s' = 2s$, we get

$$= \sqrt{2s(2s - 2a)(2s - 2b)(2s - 2c)} = \sqrt{16s(s-a)(s-b)(s-c)}.$$

This is equal to

$$4\sqrt{s(s-a)(s-b)(s-c)} = 4\Delta.$$

Therefore, the area of the new triangle is four times the area of the original triangle, and the required ratio is

$$4 : 1.$$